

# Compact Fast-Waking Light/Heat-Harvesting 0.18- $\mu\text{m}$ CMOS Switched-Inductor Charger

Andrés A. Blanco, *Graduate Student Member, IEEE*, and Gabriel A. Rincón-Mora, *Fellow, IEEE*

**Abstract**—Although microsystems can nowadays consume microwatts, onboard batteries can be so small and leaky that sustaining microwatts for months or years without recharge cycles can be virtually impossible. Tiny photovoltaic cells and thermoelectric generators can help, but only when light or heat is available, and only to the extent that light intensity and thermal gradients allow. This is why energy-harvesting microsystems idle and shut down often and fast-wakeup provisions are important. The 0.18- $\mu\text{m}$  CMOS charger proposed here is 8.31% more efficient during wakeup than the smallest reported and 7.69% more efficient than the next best, but without a 1:60 off-chip transformer and without vibration energy. Although 3.27% less efficient than the most efficient, the system here uses 3 fewer off-chip inductors. And after waking, the system is 5% to 46% more efficient than the others. The key innovations are low-power management and design. The system in essence charges a 200-pF capacitor with just enough energy to transfer two energy packets per cycle: one to charge a 1.8- $\mu\text{F}$  battery and the other to replenish the 200 pF. This way, and with 100 nF across the source, the system charges a fully depleted 1.8- $\mu\text{F}$  battery to 0.9 V in 45 ms and draws in steady state 98.8%–99.7% of available input power to deliver 76%–86% of the 40–150  $\mu\text{W}$  drawn.

**Index Terms**—Boost dc-dc converter, charger, harvester, heat, light, photovoltaic, starter, switched inductor, thermoelectric.

## I. LIGHT- AND HEAT-HARVESTING MICROSENSORS

WIRELESS microsensors can add life-, energy-, and cost-saving intelligence to homes, hospitals, factories, biological systems, and other networked spaces and difficult-to-reach locations [1]–[6]. Although sensors, data converters, digital-signal processors (DSPs), and power amplifiers (PAs) can nowadays require 10  $\mu\text{W}$  to 10 mW to operate [7], onboard batteries are very small, so lifetimes without recharge cycles can be impractically short. Fortunately, ambient energy  $E_A$  can replenish a battery, but only when available, and only to the extent that ambient conditions allow.

Batteries, however, are imperfect. Lithium ions, for example, store usable energy at 2.7–4.2 V, leak up to 10% per month, and survive 1k–2k recharge cycles [8]. Unfortunately, microsensors can be so small and so universally spread that they can only sustain up to 0.9–1.8 V, recharge 10–50 times per day, and operate 5–10 years for a total of 18k–182k cycles. Although super capacitors can leak 100% per month, they are

popular in this research space because they operate at lower voltages and survive 100k–500k cycles [9]. But since leakage is high, designers often resort to conventional capacitors. In other words, batteries in this space are essentially capacitors.

An energy-harvesting charger like Fig. 1 shows should therefore be able to replenish its battery  $C_B$  with as much power as possible. A maximum power-point (MPP) tracker continually adjusts the charger for this purpose [10]. This way,  $C_B$  can receive and supply maximum power. Even though maximum input power  $P_{IN(MPP)}$  is important, what matters most is maximum output power  $P_{O(MPP)}$ . This is why the MPP tracker senses the battery voltage  $v_B$ . But since  $v_B$  varies with incoming and outgoing charge, a power supply normally conditions and feeds power to system components [11]–[12].

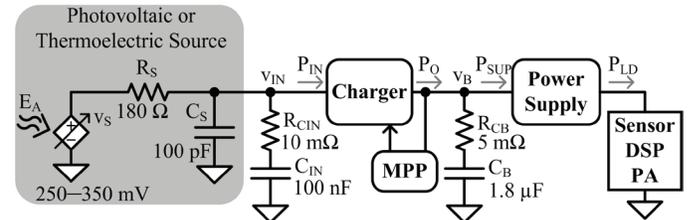


Fig. 1. Light- or heat-harvesting microsensor.

Of possible ambient sources, photovoltaic (PV) cells can at 100–400  $\mu\text{W}/\text{mm}^2$  generate over 100 $\times$  higher power from sunlight than piezoelectric, electrostatic, and electromagnetic transducers, antennas, and thermoelectric generators (TEGs) can from motion, radiation, and heat [13]–[15]. Light, however, is not always available. Considering the computers or engines to which many microsensors attach, heat can at times be more available. Although the application ultimately dictates which ambient source is more accessible, light and heat are often available and therefore popular options [1].

Interestingly, one PV cell outputs more power than several cells in series that occupy the same area. This results because the space between cells does not collect charge and mismatched currents and parasitic PN junctions between cells leak charge [15]. A PV source can therefore establish a dc voltage that is as low as 300–500 mV. When stacked, thermoelectric piles generate even lower dc voltages [7]. This is why light- and heat-harvesting microsystems often share similar components, and why the ambient source voltage  $v_s$  in Fig. 1 is dc and only 250–350 mV.

Operating from such a low input voltage is challenging because, with low gate drive, transistors are resistive and therefore lossy. As a result, the charger can consume much of the power drawn, leaving little left for  $C_B$  and other blocks. In

Manuscript received on June X, 2017; revised on Month X, 2017; and accepted on Month X, 2017. Texas Instruments funded this research.

The authors are with the School of Electrical and Computer Engineering at the Georgia Institute of Technology, Atlanta, GA 30332-0250 U.S.A. E-mail: ablanco@gatech.edu and Rincon-Mora@gatech.edu. Copyright © 2017 IEEE.

other words,  $C_B$  charges slowly, if at all, and the microsensor must wait for  $v_B$  to reach a headroom level that is high enough for system components to perform their prescribed tasks.

Waiting is a problem when ambient energy for short intervals because  $v_B$  might not climb high enough to power the sensor. Leakages can also drain  $C_B$  before the source returns. The charger should therefore replenish  $C_B$  quickly, and since space is so scarce in microsensors, with few off-chip devices.

$C_B$  should be as high as possible to power microsensors continuously for extended periods. Except, higher capacitance requires more time to wake. So  $C_B$  should be *just* high enough when fully charged to the breakdown level to sustain the system for the length of time that the application requires.

This paper presents a CMOS charger that draws power from a light- or heat-harvesting source with only one input capacitor and one transfer inductor. The system charges a temporary on-chip 200-pF supply, and with it, charges an off-chip battery  $C_B$  from no-charge conditions. To understand how this shortens wake time, Sections II and III explain the operating principles and mechanics of the design. Section IV then details how the prototyped implementation performs across operating conditions and compares against the state of the art. Section V finishes with relevant conclusions.

## II. OPERATING PRINCIPLE

The fundamental reason why batteries charge slowly from no-charge conditions is low gate drive. The problem is, with low gate voltages, transistors are resistive and therefore lossy. So of the power drawn, little reaches the battery. And with microfarads or more to charge, battery voltage climbs slowly.

The guiding principles that drive the design here are: small capacitors charge quickly and transistors switch faster and with less power when supplied from higher voltages. So the basic aim of the system proposed is to charge a very small temporary supply  $C_T$  from which circuits can later draw power above the headroom level  $V_{HR}$  that transistors need to switch efficiently. This way, the charger can deliver 80%–90% of the drawn power [16], instead of the 0.1%–7% that a millivolt supply could have supplied [7], [17]–[25].

For this, the system should first charge a small on-chip supply capacitor  $C_T$  to a level that is high enough to feed the charger without dropping below  $V_{HR}$ . But to store as much energy as possible with the least capacitance,  $C_T$  should charge to the technology's breakdown level  $V_{BD}$ . Plus, at that level, capacitance should be sufficiently high to store the energy the charger requires to deliver at least two energy packets: one to the battery  $C_B$  and another to  $C_T$ .

Although the system is inefficient when first charging  $C_T$  with the harvesting input voltage  $v_{IN}$ ,  $C_T$  is so low at 200 pF that the process can be short. Once at  $V_{BD}$ , which in this case is 1.8 V, the charger draws power from  $C_T$  to deliver one energy packet to  $C_B$  and another back to  $C_T$  so  $C_T$  can recharge back to  $V_{BD}$  for the next cycle. Since  $v_T$  (by design) remains above  $V_{HR}$  through this process, the charger can supply 80%–90% of the power drawn.

The system delivers energy packets to  $C_T$  and  $C_B$  this way, in alternating cycles, until  $C_B$  charges above  $V_{HR}$  to threshold

level  $V_{B(MIN)}$ . Past that point, the controller connects  $C_T$  to  $C_B$  and uses them together to wake and supply the microsensor. So the charger is inefficient only when charging  $C_T$  to  $V_{BD}$  the first time. After that, as  $C_T$  supplies the charger and the charger charges  $C_B$  and replenishes  $C_T$ , and later when  $C_B$  supplies the charger, the charger can be 80%–90% efficient [16]. Delivering this much charge to  $C_B$  is how the system proposed reduces wake time after harvesting droughts.

The system, however, does not react until  $v_{IN}$  reaches  $V_{ST(MIN)}$  (in Fig. 2). The controller then waits for the starter to charge  $C_T$  above the level  $V_{T(MIN1)}$  that can operate the charger. Past that, the controller shuts the starter, and if  $v_T$  is below the threshold  $V_{T(MIN2)}$  needed to deliver two energy packets, the charger delivers one packet to  $C_T$ . When  $v_T$  rises above  $V_{T(MIN2)}$ , the system starts charging  $C_B$ . But if  $v_B$  is below  $V_{B(MIN)}$  and  $v_T$  below  $V_{T(MIN2)}$ , the system recharges  $C_T$ .

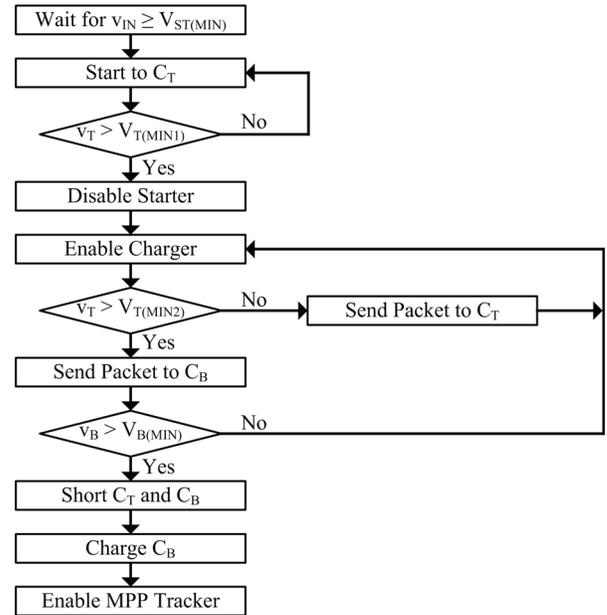


Fig. 2. Flow chart of the wakeup process proposed.

The maximum power-point (MPP) tracker draws power that  $C_T$  cannot sustain (by design). So once  $v_B$  reaches  $V_{B(MIN)}$ , the controller also enables the tracker.  $V_{B(MIN)}$  therefore corresponds to the headroom level of the tracker. But since the tracker requires time to determine the MPP [26], the charger does not output maximum power until some time later. This is why the settling time of the tracker is also important.

## III. ENERGY-HARVESTING CHARGER

The energy-harvesting charger proposed in Fig. 3 energizes and drains inductor  $L_X$  from the harvesting input  $v_{IN}$  into either the small temporary supply  $C_T$  or the larger battery  $C_B$ .  $L_X$ , ground switch  $M_{GND}$ , and output diode  $D_B$  implement a boost dc–dc converter stage. When fully drained, the starter first charges  $C_T$  above the headroom level  $V_{HR}$  that transistors need to switch efficiently. Then, while supplied by  $C_T$ , the controller disables the starter and enables the oscillating pulse generator, which with the controller's  $v_{AID}$  commands ground switch  $M_{GND}$  and diode switch  $D_B$  to energize and drain  $L_X$  from  $v_{IN}$  into  $C_B$  and  $C_T$  in alternating cycles.



start the process.  $C_1$  and  $C_3$  continue charging and resetting this way in alternating cycles to oscillate  $v_{OSC}$  at a frequency that  $M_{B1}$ ,  $C_1$ ,  $M_2$ ,  $M_{B2}$ ,  $M_{B3}$ ,  $C_3$ ,  $M_4$ , and  $M_{B4}$  set to 10.5 kHz. Note that, unlike a current-starved ring oscillator, this frequency is supply insensitive.

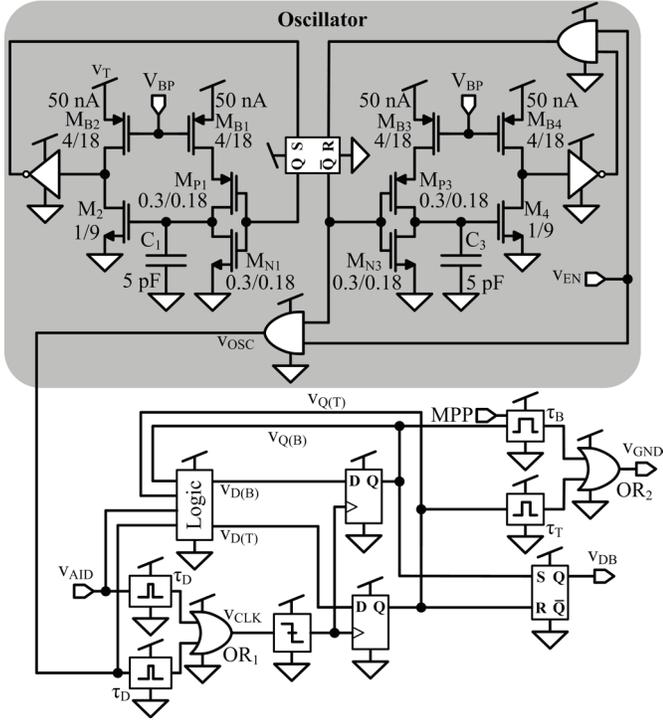


Fig. 6. Oscillating pulse generator.

The logic that  $v_{OSC}$  drives in Fig. 6 chooses the pulse length across which  $L_X$  energizes. Unless interrupted by  $v_{AID}$ , this logic (in Fig. 7) chooses the pulse  $\tau_B$  that corresponds to charging  $C_B$ .  $\tau_T$  is so much lower than  $C_B$ , however, that  $\tau_B$  would over-energize  $L_X$ , and with  $L_X$ , overcharge  $C_T$ . So when  $v_{AID}$  indicates  $L_X$  should replenish  $C_T$ , the logic chooses the pulse  $\tau_T$  that is long enough (by design) to replenish  $C_T$  in one cycle. This is why  $v_{GND}$  in Fig. 8 energizes  $L_X$  across a shorter pulse  $\tau_T$  when  $v_{AID}$  rises.

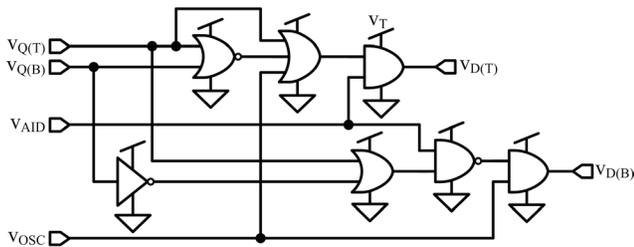


Fig. 7. Logic in the oscillating pulse generator.

So every time  $v_{OSC}$  rises,  $v_{GND}$  commands  $M_{GND}$  to start another energizing event. But since  $C_T$  can discharge below  $TD_{AID}$ 's  $V_{T(MIN2)}$  while charging  $C_B$ ,  $v_{CLK}$  in the logic keeps  $v_{DB}$  from changing  $D_B$ 's state and  $v_{GND}$  from starting a pulse in the middle of a delivery. In other words, the logic does not generate overlapping pulsing commands.

Four instances of the one-shot pulse generator in Fig. 9 produce the energizing and filter-delay pulses  $\tau_B$ ,  $\tau_T$ , and  $\tau_D$  in Fig. 6. When the input  $v_I$  is low, the AND gate grounds the output  $v_O$ ,  $M_{OFF}$  opens, and  $M_S$  grounds  $M_A$ 's gate, so  $M_B$ 's

current keeps  $v_X$  high. When the input  $v_I$  rises, the AND gate raises  $v_O$  (in Fig. 10),  $M_S$  opens, and  $M_{OFF}$  closes to let  $I_P$  charge  $C_P$ . When  $C_P$ 's voltage  $v_P$  is high enough for  $M_A$  to overwhelm  $M_B$ 's current,  $v_X$  falls, and with it,  $v_O$ . In other words,  $v_O$  is high only as long as  $I_P$  requires to charge  $C_P$  above  $M_A$ 's threshold. These pulse widths are 0.25–1  $\mu$ s when  $I_P$  is 25–100 nA with about  $\pm 35\%$  variation across process, voltage, and temperature corners.

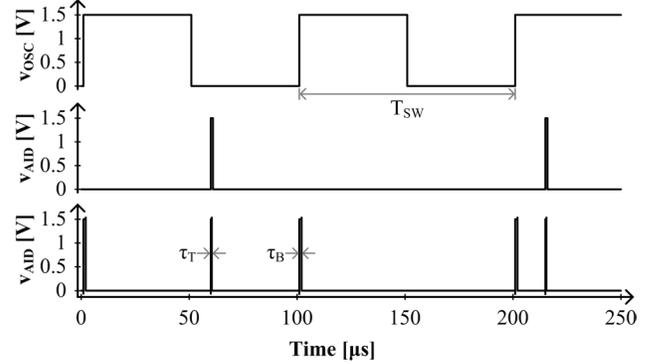


Fig. 8. Simulated timing diagram of the oscillating pulse generator.

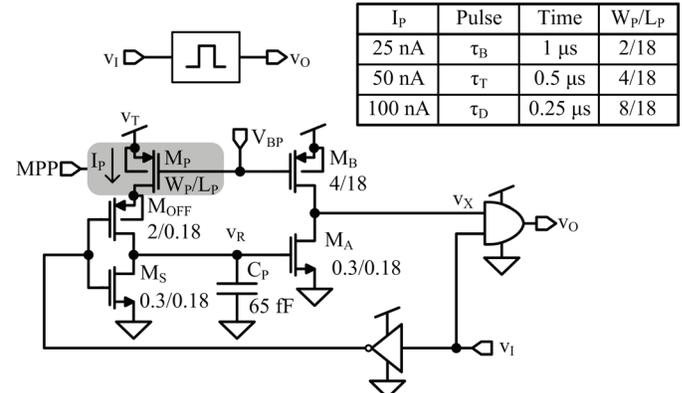


Fig. 9. One-shot pulse.

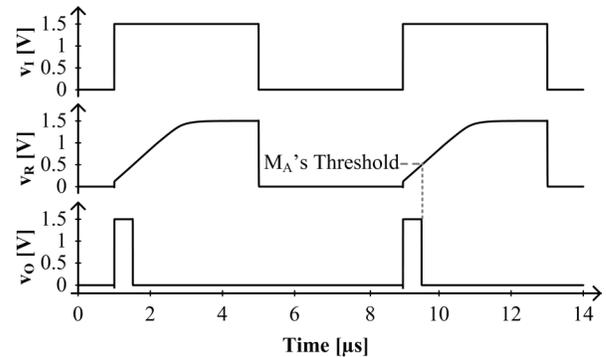


Fig. 10. Simulated timing diagram of the one-shot pulse.

Since  $v_B$  is not high enough to power the maximum power-point (MPP) tracker when first waking,  $\tau_B$  starts at a pre-determined nominal setting. Once  $C_B$  charges to  $V_{B(MIN)}$ , the system should enable the tracker. So after the wake period  $t_w$ , the tracker adjusts  $\tau_B$  to ensure  $L_X$  energizes long enough to draw and deliver maximum output power.

### C. Battery Diode

Battery diode  $D_B$  in Fig. 3 is not an ordinary PN-junction diode for two reasons. For one,  $D_B$  should not direct energy to the battery  $C_B$  when the temporary supply  $C_T$  needs charge

and  $v_B$  is lower than  $v_T$ , which would otherwise engage a conventional diode. The second reason is that a diode would drop 0.6–0.7 V, which would burn substantially more power than a MOS implementation.

Unfortunately,  $D_B$  cannot be a typical MOSFET either because the system would not be able to block its body diode, which is necessary when steering energy into  $C_T$ . This is why back-to-back FETs  $M_{DB1}$  and  $M_{DB2}$  in Fig. 11 implement  $D_B$ . Because with their bulks tied, their body diodes block each other so no current flows when the FETs are off. The tradeoff for this functionality is power and maybe silicon area. Because for a given resistance, area and capacitance are higher, which means gate-drive power is also higher. Resistance is similarly higher when constrained to fit a particular area.

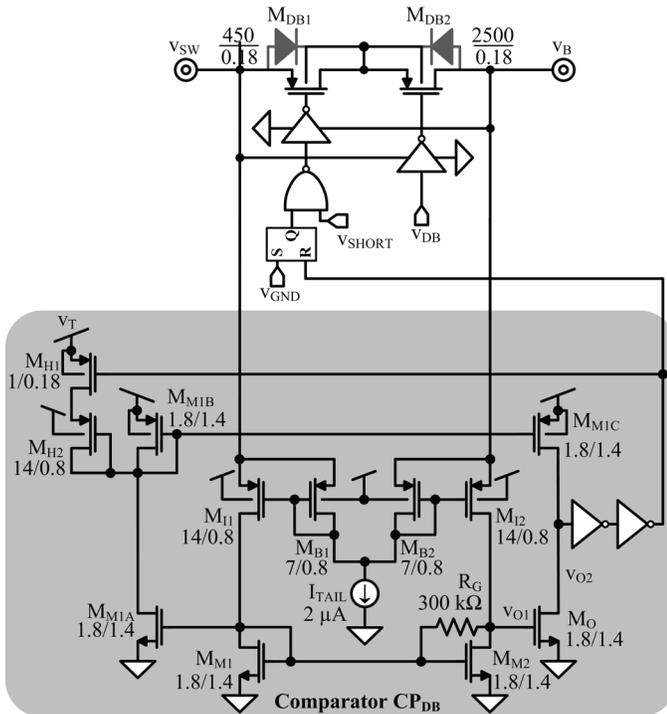


Fig. 11. Battery diode  $D_B$ .

$M_{DB1}$  and  $M_{DB2}$  should together operate like a diode when enabled by  $v_{DB}$ . So  $v_{DB}$  closes  $M_{DB2}$  and allows the comparator  $CP_{DB}$  to switch  $M_{DB1}$  like a diode when  $v_{GND}$  opens  $M_{GND}$ . When  $CP_{DB}$ 's switching node  $v_{SW}$  rises above  $v_B$ ,  $CP_{DB}$ 's  $v_{O2}$  rises to close  $M_{DB1}$ , and that way, connect  $v_{SW}$  to  $v_B$  like a diode, but with only millivolts across it.  $M_{I1}$  and  $M_{I2}$ , and as a result, their mirroring translations to  $v_{O1}$  and  $v_{O2}$  source equivalent currents when  $v_{SW}$  equals  $v_B$ . When  $v_{SW}$  rises above  $v_B$ ,  $M_{I1}$ 's translation  $M_{M2}$  sinks more current than  $M_{I2}$  sources, so  $v_{O1}$  falls,  $M_O$  weakens, and  $M_{MIC}$  raises  $v_{O2}$  to close  $M_{DB1}$ .

For all this,  $M_{B1}$  and  $M_{B2}$  split  $I_{TAIL}$ 's 2  $\mu A$  (from the bias block) to establish the currents that  $M_{I1}$  and  $M_{I2}$  and their translations conduct.  $M_{MIC}$  sources a mirrored reflection of  $M_{I1}$ 's current, so when  $M_{I1}$  conducts more current,  $M_{MIC}$ 's translation raises  $v_{O2}$  faster. And as  $v_{O2}$  falls,  $M_{HI}$  closes to decrease  $M_{MIC}$ 's mirror gain to  $v_{O2}$ . This hysteresis allows  $M_O$  to ground  $v_{O2}$  faster.

For fast turn-on transitions,  $R_G$  limits  $M_O$ 's gate swing  $\Delta v_{O1}$ . When  $v_{SW}$  is below  $v_B$ ,  $M_{B1}$  is off, so  $M_{B2}$  conducts  $I_{TAIL}$ .

$M_{B2}$ 's translation  $M_{I2}$  therefore feeds  $2I_{TAIL}$  into  $R_G$ ,  $M_{M1}$ , and  $M_{M2}$ . But since  $M_{M2}$  mirrors  $M_{M1}$ ,  $2I_{TAIL}$  splits between  $R_G$  and  $M_{M2}$ .  $v_{O1}$  therefore peaks to  $I_{TAIL}R_G$  above the gate–source that  $M_{M1}$  requires to sustain  $I_{TAIL}$ , which combined is roughly 800 mV. During transitions,  $R_G$  also reduces the parallel resistance at  $v_{O1}$ , which lowers the gain, but not enough to be a problem.

When disabled by  $v_{DB}$ ,  $M_{DB2}$ 's driver connects  $M_{DB2}$ 's gate to  $v_{SW}$ . Although  $M_{DB2}$  can still close when  $v_B$  is greater than  $v_{SW}$ ,  $CP_{DB}$  commands  $M_{DB1}$ 's driver to connect  $M_{DB1}$ 's gate to  $v_B$  when  $v_B$  is above  $v_{SW}$  to ensure  $M_{DB1}$  stays off. So combined,  $M_{DB1}$  and  $M_{DB2}$  are off when  $v_{DB}$  is low. Otherwise, when  $v_{DB}$  is high,  $M_{DB1}$  closes only when  $CP_{DB}$  resets the SR latch, which happens just after  $v_{SW}$  rises above  $v_B$ .

#### D. Starter

The goal of the starter in Fig. 12 from [17] is to use the inductor  $L_X$  to charge the temporary supply  $C_T$  once after the ambient source first recovers from a long drought. As the input  $v_{IN}$  first rises,  $M_{SEN}$  energizes  $L_X$  and the jump starter and  $M_R$  help transfer and exchange the energy drawn between  $L_X$  and switching-node capacitance  $C_{SW}$ . Although the energy swapped is not at first high enough for  $M_{DS1}$  and  $M_{DS2}$  to steer charge into  $C_T$ , the energy grows, and with it, so does  $v_{SW}$ 's peak as it oscillates. Once  $v_{SW}$  is high enough above ground,  $M_{DS1}$  and  $M_{DS2}$  close to steer  $L_X$ 's leftover energy into  $C_T$ .

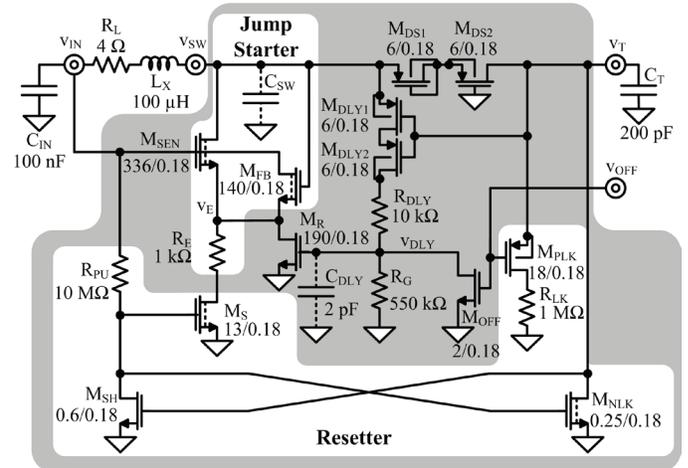


Fig. 12. Starter.

But if  $v_T$  does not climb sufficiently high for the controller to shut the starter,  $M_{SH}$  resets the jump starter. And to help  $M_{DS1}$  and  $M_{DS2}$  engage the next time  $v_{SW}$  is high,  $M_{PLK}$  leaks  $C_T$ . Since  $C_T$  does not altogether deplete,  $v_T$  reaches the first threshold level  $V_{T(MIN1)}$  the next time  $C_T$  receives energy. This prompts the controller's  $TD_{EN}$  to shut the starter and enable the oscillating pulse generator.

To charge  $C_T$  from the lowest  $v_{IN}$  possible,  $L_X$  should transfer as much energy as possible. This is why  $L_X$  is high. But since microsensors cannot accommodate large inductors,  $L_X$  cannot occupy much space. So when constrained to mm's, increasing the number of turns is only possible when thinning the coil. This means, small inductors with high inductances are resistive [27]. Since raising inductance reduces current, and in consequence, ohmic power, the optimal inductor incorporates an  $L_X$  and  $R_L$  that balance energy transferred with energy lost.

### E. Bias

The bias block in Fig. 13 establishes the reference gate voltages  $V_{BN}$  and  $V_{BP}$  for N- and P-channel MOS transistors that all circuits use to establish bias currents. For this,  $M_1$  and  $M_2$  sink equal currents because  $M_3$ – $M_{3C}$  mirrors  $M_4$ – $M_{4C}$ 's current. And since  $M_2$ 's channel width is eight times wider than  $M_1$ 's,  $M_2$ 's gate–source voltage  $v_{GS2}$  is lower than  $M_1$ 's  $v_{GS1}$  and the difference  $v_{GS1} - v_{GS2}$  appears across  $R_B$ . In subthreshold, this difference is proportional to absolute temperature (PTAT) [28], so  $v_{GS1} - v_{GS2}$  across  $R_B$  establishes a PTAT current. Although not implemented here for the sake of low power, adding a complementary-to-absolute-temperature (CTAT) component to the circuit can reduce the drift of the bias currents that  $V_{BN}$  and  $V_{BP}$  produce.

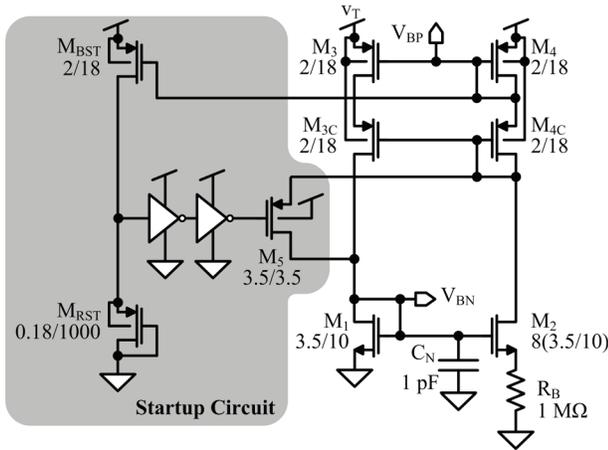


Fig. 13. Bias block.

The purpose of  $M_5$ , whose current is much lower than those of  $M_1$ – $M_4$ , is to keep the circuit from entering the off state. To this end,  $M_{BST}$  mirrors  $M_4$ 's current into a long-channel diode-connected PMOS  $M_{RST}$  that behaves like a high-value resistor. So if  $M_4$ 's current is too low, the inverters close  $M_5$  to pull and feed current from  $M_4$  into  $M_1$ , and that way, push the circuit back into the on state. Here,  $C_N$  keeps noise from fluctuating  $V_{BN}$  to the extent that the startup circuit activates.

## IV. MEASURED PERFORMANCE

The prototyped 0.18- $\mu\text{m}$  CMOS die in Fig. 14 integrates everything in Fig. 3, except the 70-mV/ $^\circ\text{C}$  heat-harvesting source  $v_S$ , the 100-nF input capacitor  $C_{IN}$ , the 100- $\mu\text{H}$  transfer inductor  $L_X$ , and the 1.8- $\mu\text{F}$  battery  $C_B$ , which are off chip on the board shown. The die and board also include replica and monitoring circuits used to isolate and test different parts of the system. To discern the roles of  $v_S$  and  $R_S$  in the  $3.3 \times 2.5\text{-mm}^2$  thermoelectric generator (TEG) in [29], a power supply establishes  $v_S$  and an off-chip resistor sets  $R_S$ . The die, packaged die,  $C_{IN}$ ,  $L_X$ , and  $C_B$  measure  $660 \times 370 \mu\text{m}^2$ ,  $9.7 \times 6.4 \times 1.2 \text{ mm}^3$ ,  $1.6 \times 0.8 \times 0.8 \text{ mm}^3$ ,  $2 \times 1.25 \times 1.45 \text{ mm}^3$ , and  $2 \times 1.25 \times 1.25 \text{ mm}^3$ .  $C_{IN}$ ,  $L_X$ ,  $C_B$ , and  $v_S$ 's series resistances are 10 m $\Omega$ , 4  $\Omega$ , 5 m $\Omega$ , and from [29], 180  $\Omega$ .

### A. Wakeup Charge Sequence

**Off:** Across a prolonged harvesting drought, leakages drain all capacitances in the circuit, so nothing works. As ambient

energy  $E_A$  returns, the ambient source  $v_S$  climbs, but as long as  $v_S$  remains below the starter's minimum threshold  $V_{ST(MIN)}$ , which in this case in Fig. 15 is 220 mV, the system is off. So up to about 9.5 ms, the source resistance  $R_S$  drops zero volts and the harvesting input  $v_{IN}$  follows the ambient source  $v_S$ .

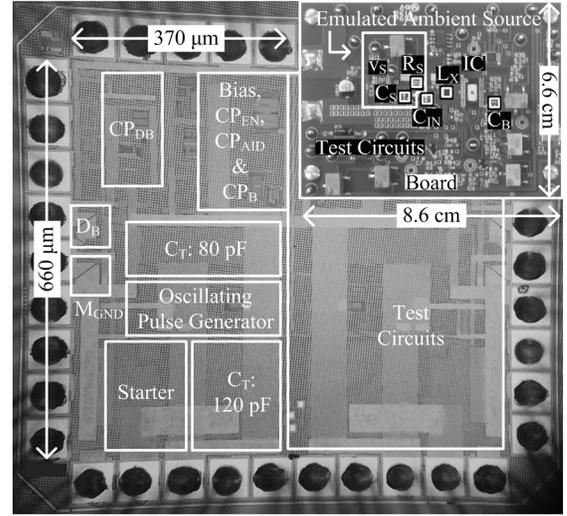


Fig. 14. Die and board photographs of the prototyped charger.

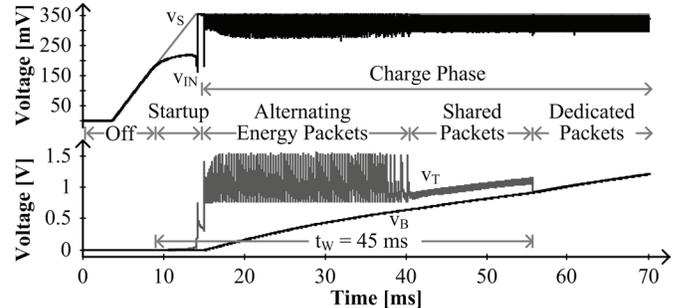


Fig. 15. Measured wakeup charge sequence.

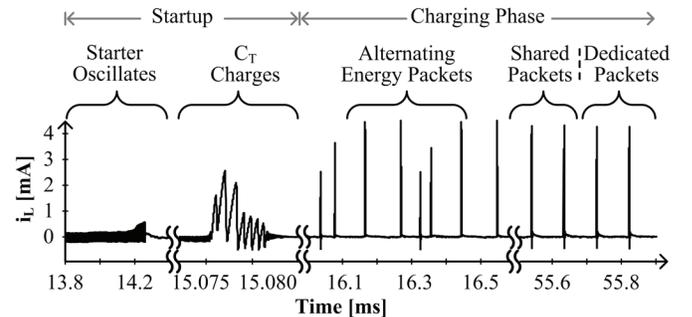


Fig. 16. Measured inductor current across wakeup phases.

**Startup Phase:** As  $v_S$  reaches 220 mV at 9.5 ms, the starter begins to energize  $L_X$  and help  $L_X$  drain into the switching-node capacitance  $C_{SW}$ .  $L_X$  and  $C_{SW}$  then exchange energy and continue to oscillate this way after that. Except,  $L_X$ 's energy and current at 13.8–14.2 ms in Fig. 16 is not enough to raise  $v_{SW}$  above  $C_T$ 's voltage  $v_T$  for the starter's  $D_S$  to steer energy into  $C_T$ . So although the starter draws harvested input power from  $v_{IN}$ , which is why  $R_S$  drops voltage and  $v_{IN}$  falls below  $v_S$  between 10 and 14 ms in Fig. 15,  $v_T$  remains near zero.

At 14.5 ms, however,  $L_X$  draws enough energy to charge  $C_{SW}$  and steer leftover charge into  $C_T$ . And although this energy is not enough to charge  $C_T$  above the first threshold  $V_{T(MIN)}$ ,  $L_X$ 's energy on the next cycle at 15.1 ms in Figs. 15–16 is. So  $v_T$  in Fig. 15 climbs above  $V_{T(MIN)}$ 's 0.75 V at about

15.1 ms.  $TD_{EN}$  in the controller senses this, and in response, shuts the starter and enables the oscillating pulse generator. This marks the end of the startup phase.

**Charge Phase:** Once shut, the starter no longer loads  $v_{IN}$ . So at 15.1 ms in Fig. 15,  $R_S$  conducts so little current that  $v_{IN}$  climbs close to  $v_S$ . With  $v_T$  now above  $V_{T(MIN1)}$ , the controller together with the oscillating pulse generator close and open  $M_{GND}$  to energize and drain  $L_X$  into  $C_T$  through the starter's  $D_S$  (with the rest of the starter off). This transaction charges  $C_T$  to the chip's breakdown level  $V_{BD}$ , which in this case is 1.8 V.

Now that  $v_T$  is greater than  $TD_{AID}$ 's threshold level  $V_{T(MIN2)}$ , the controller enables the battery diode  $D_B$ . So after  $M_{GND}$  energizes  $L_X$  again,  $D_B$  drains  $L_X$  into the battery  $C_B$  to begin charging  $C_B$ . This transaction, however, drains  $C_T$  below  $V_{T(MIN2)}$ , but not below  $V_{T(MIN1)}$ . The controller therefore disables  $D_B$  to let  $D_S$  drain  $L_X$  into  $C_T$ , and in so doing, replenish  $C_T$ . The charger *alternates* energy packets to  $C_B$  and  $C_T$  this way between 15 and 40 ms. With  $v_T$  at or above  $V_{T(MIN1)}$ , the system can draw from a lower input voltage  $V_{IN(MIN)}$ : 35 mV. So even if  $v_S$  drops to 35 mV in this charge phase, the charging process continues.

When  $v_B$  is within 300 mV of  $v_T$ 's upper threshold level  $V_{T(MIN2)}$  (at about 40 ms in Fig. 15),  $D_S$  begins leaking some of the energy meant for  $C_B$  into  $C_T$ . This leaked energy keeps  $C_T$  from discharging below  $V_{T(MIN2)}$ , so the controller stops steering energy packets directly into  $C_T$ . Or more to the point,  $TD_{AID}$  stops disabling the battery diode  $D_B$ .  $v_T$  is higher than  $v_B$ , however, because  $C_T$  is much lower than  $C_B$ , so  $v_T$  rises faster with less energy.  $C_B$  and  $C_T$  *share* energy packets this way until  $v_B$  reaches  $TD_B$ 's threshold  $V_{B(MIN)}$  at 55.7 ms. Past that point,  $v_B$  is high enough to supply the system, so the controller connects  $C_B$  to  $v_T$ . *Dedicated* energy packets charge  $C_B$  more than energy transactions load  $C_B$  through this last phase, so  $v_B$  climbs steadily with every switching cycle.

To deliver energy packets, the system energizes and drains  $L_X$  in alternating phases, which corresponds to  $i_L$  rising and falling in Figs. 16–17. After depleting  $L_X$ , however, the parasitic capacitance  $C_{SW}$  at the switching node  $v_{SW}$  still holds charge. So  $C_{SW}$  and  $L_X$  exchange this remnant energy until parasitic resistances burn it. This is why  $i_L$  in Figs. 16–17 reverses and rings after each packet. Although this energy never reaches  $C_T$  or  $C_B$ ,  $C_{SW}$  is low, so little is lost.

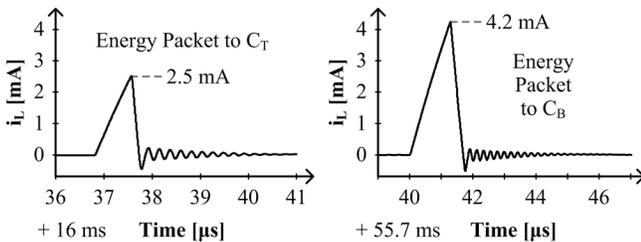


Fig. 17. Measured inductor current when delivering energy to  $C_T$  and  $C_B$ .

$v_{IN}$  in Fig. 15 does not drop much below  $v_S$  across the startup phase and the alternating and shared packet sequences of the charging phase because  $v_B$  is not high enough to supply the maximum power-point (MPP) tracker. After  $v_B$  surpasses  $V_{B(MIN)}$  (as  $L_X$  delivers dedicated packets),  $TD_B$ 's output can enable the tracker. But like in [7], [18]–[19], [24]–[25], and [30]–[32], the system here excludes the MPP tracker because MPP is not possible during wake time  $t_{inW}$ . This is why MPP effects are absent even after  $v_B$  surpasses  $V_{B(MIN)}$ .

## B. Harvesting Efficiency

For the battery to charge quickly in steady state,  $L_X$  should draw maximum power. The MPP tracker would do this by adjusting  $\tau_B$  in the controller, which sets  $L_X$ 's energizing period. But since the system excludes the tracker,  $\tau_B$  is adjustable off chip and Fig. 18 shows measured MPP information when manually adjusted.

But as drawn source current  $i_S$  climbs, the source resistance  $R_S$  burns more power. And while power  $P_S$  drawn from the source  $v_S$  rises linearly with  $i_S$ ,  $R_S$ 's ohmic power  $P_{R(S)}$  climbs quadratically. This means, increasing losses in  $P_{R(S)}$  offset gains in  $P_S$  and harvested input power  $P_{IN}$  maxes when the extra loss  $\Delta P_{R(S)}$  just cancels the additional gain  $\Delta P_S$ . So as  $i_S$  in Fig. 18 increases and  $i_S$  into  $R_S$  reduces input voltage  $v_{IN}$ ,  $P_S$  at 0 mA and 350 mV rises more linearly than  $P_{R(S)}$  does quadratically, which is why  $P_{IN}$  climbs past that point. After 972  $\mu$ A,  $P_{R(S)}$  outpaces  $P_S$ , so at 972  $\mu$ A,  $P_{IN}$  maxes at 170  $\mu$ W and falls after that. Since  $P_S$  rises with  $v_S$ ,  $P_{R(S)}$  can be higher before  $P_{IN}$  peaks (with a higher  $v_S$ ).  $P_{IN}$ 's maximum power point (MPP)  $P_{IN(MPP)}$  therefore rises with  $v_S$ .

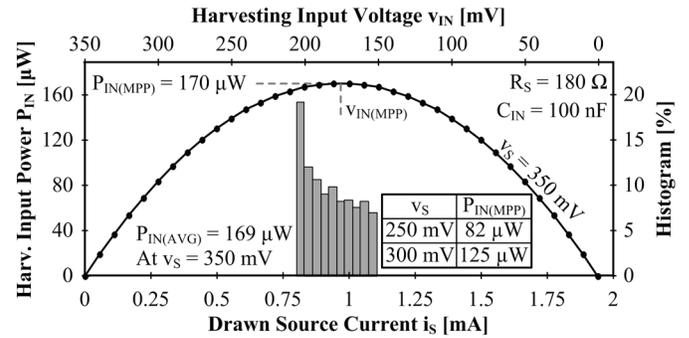


Fig. 18. Harvested input power and histogram measured in steady state.

Since  $L_X$ 's current  $i_L$  peaks higher (to 4 mA) than the 972  $\mu$ A that  $v_S$  can (on average) source at its MPP, source and input capacitors  $C_S$  and  $C_{IN}$  supply the difference. But any time  $i_L$  is less than 972  $\mu$ A,  $v_S$  supplies more charge than  $L_X$  draws and the excess recharges  $C_S$  and  $C_{IN}$ . So across a switching cycle,  $C_S$  and  $C_{IN}$  supply as much charge as they receive.

Unfortunately, the ripple voltage that results at the harvesting input  $v_{IN}$  shifts the source from its MPP setting  $v_{IN(MPP)}$ . With 100 nF of input capacitance  $C_{IN}$ ,  $v_{IN}$  ripples between 158 and 210 mV, like the measured histogram for  $v_{IN}$  in Fig. 18 shows. This variation, however, is close enough to  $v_{IN(MPP)}$ 's 175 mV to average 169  $\mu$ W or 99.4% of the 170  $\mu$ W that the input source  $v_S$  can deliver at 350 mV. With so little variation in  $P_{IN}$ , the charger's output power  $P_O$  is similarly insensitive to  $C_{IN}$  when  $C_{IN}$  is 100 nF or higher.

Average input power  $P_{IN(AVG)}$  is so close to  $P_{IN(MPP)}$  that improvements from higher input capacitances are hardly noticeable in Fig. 19. Lower input capacitances, on the other hand, increase the ripple to such an extent that the effects are apparent in both  $P_{IN}$  and  $P_O$ . With 10 nF, for example,  $v_{IN}$  ripples 280 mV, so maximum input power  $P_{IN}$  averages 120  $\mu$ W (from instantaneous  $v_{IN}$  and  $i_{IN}$  data measured) or 70.6% of the 170  $\mu$ W that  $v_S$  can deliver.  $P_{IN}$  averages less at 22  $\mu$ W with 1 nF, but not much less below that level because board, source, and probe capacitance plateau at about 1 nF. In other words, input capacitance  $C_{IN}$  becomes a negligible fraction of

the total capacitance present at the input  $v_{IN}$ . This is why  $v_{IN}$  does not ripple more than 350 mV when  $C_{IN}$  is less than 1 nF.

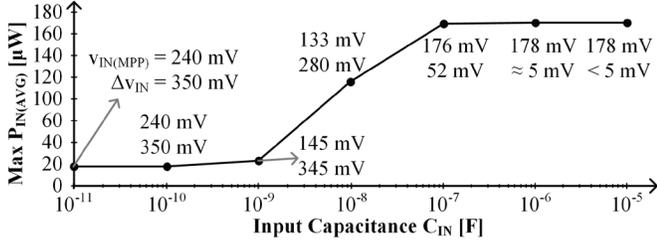


Fig. 19. Measured maximum input power and input ripple across  $C_{IN}$ .

### C. Charging Efficiency

The source voltage  $v_S$  supplies the most power when the charger presents a load  $R_C$  that is equivalent to the source resistance  $R_S$ . When loaded this way,  $0.5v_S$  appears across  $R_C$ 's  $R_S$  and  $R_C$  receives maximum input power  $P_{IN(MPP)}$  or  $(0.5v_S)^2/R_S$ . In the case of the source emulated from [29],  $v_S$  and  $R_S$  are 350 mV and 180  $\Omega$ , so  $P_{IN(MPP)}$  is 170  $\mu$ W.

Unfortunately, quiescent, gate-drive, and ohmic power in the charger  $P_{Q(C)}$ ,  $P_{G(C)}$ , and  $P_{R(C)}$  leak power. Wake efficiency  $\eta_W$  is the fraction of  $P_{IN(MPP)}$  delivered  $P_{O(W)}$  when waking. Here, like Fig. 15 shows, the system charges a fully depleted 1.8- $\mu$ F battery  $C_B$  to the target  $V_{B(MIN)}$ 's 0.9 V across a 45-ms wake period  $t_W$ . Since  $C_B$  receives energy  $E_C$  or  $0.5C_B V_{B(MIN)}^2$  in  $t_W$ ,  $P_{O(W)}$  is  $E_C/t_W$  or 16.2  $\mu$ W and wake efficiency  $\eta_W$  is 9.53%.

Efficiency after that depends on static conversion efficiency  $\eta_C$  and the maximum power-point (MPP) tracker. Of the losses just mentioned, only  $P_{R(C)}$  climbs with current. So as  $P_{IN}$  and  $P_O$  increase with  $v_{IN}$ ,  $P_{R(C)}$  in Fig. 20 rises (and  $P_{G(C)}$  and  $P_{Q(C)}$  do not). But since  $P_{IN}$  consistently rises more than  $P_{R(C)}$  when  $v_{IN}$  is below 175 mV, the charger draws 55–168  $\mu$ W or 98.2%–98.8% of the 56–170  $\mu$ W that  $R_C$  can receive when  $v_{IN}$  is 100–175 mV and delivers 40–150  $\mu$ W or 76%–86% of the drawn 55–168  $\mu$ W. Past 175 mV, efficiency continues to rise with  $v_{IN}$  until  $P_{R(C)}$ 's added losses cancel  $P_{IN}$ 's gain, which in this case can happen near 200 mV. Past that,  $\eta_C$  drops.

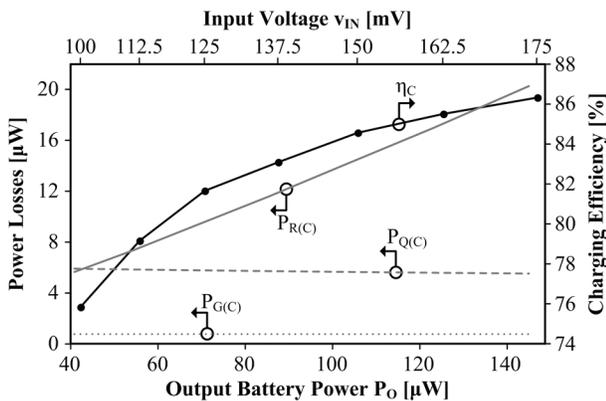


Fig. 20. Charger losses and steady-state charging efficiency measured.

When enabled, the starter burns the most power because, with only  $v_{IN}$ 's 100–175 mV, efficiency is 1%–7% [17]. But since the starter only operates when the system wakes, steady-state power is only the 1.86  $\mu$ W that the starter leaks when disabled. The pulse generator consumes more power at 3.01  $\mu$ W because, once enabled, it never stops switching.

The inductor's 4- $\Omega$  series resistance  $R_L$  consumes more power  $P_{R(RL)}$  in Fig. 21 than those of the battery diode  $D_B$  and

ground switch  $M_{GND}$ . Although a larger inductor with the same inductance can incorporate less resistance, longer dimensions counter the integration benefits of a smaller board component.  $D_B$  burns more power than  $M_{GND}$ 's resistance  $R_{GND}$  because  $D_B$ 's resistance  $R_{DB}$  is, by design, close to 10  $\Omega$ . With a lower resistance, the voltage that  $L_X$ 's 0–4 mA would drop across  $R_{DB}$  would not be sufficiently high to drive  $CP_{DB}$  quickly. With 10  $\Omega$ , however,  $R_{DB}$  does not consume more power than  $R_L$  because  $D_B$  conducts a fraction of the time that  $L_X$  does.  $M_{GND}$ 's resistance is considerably lower because, without  $R_{DB}$ 's limitation,  $M_{GND}$ 's channel width is wide enough to balance ohmic and gate-drive losses, at which point  $M_{GND}$  requires the least power possible to switch across states.

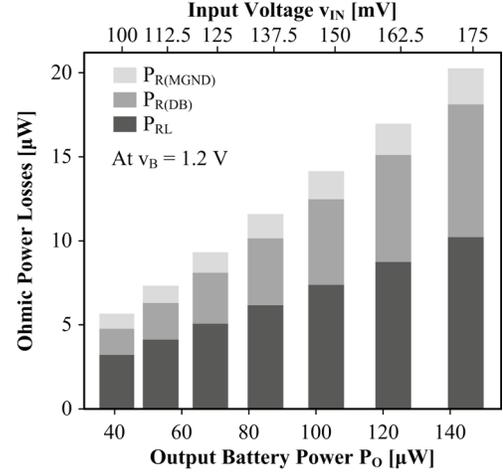


Fig. 21. Simulated ohmic power losses.

When the input  $v_{IN}$  is 150 mV,  $R_L$ ,  $R_{DB}$ , and  $R_{GND}$  in Table I burn 7.40, 5.06, and 1.13  $\mu$ W. Since  $R_{DB}$  is not low enough to balance gate-drive power, the gates of  $D_B$ 's  $M_{DB1}$  and  $M_{DB2}$  require (at 100 nW) much less power to switch than  $R_{DB}$  consumes.  $M_{GND}$ 's gates, however, require about as much as  $R_{GND}$  dissipates. At 160 nW,  $D_B$ 's comparator  $CP_{DB}$  requires a little more than what  $D_B$  requires to switch. With three threshold detectors to sustain, the controller burns more average power at 330 nW. The bias block consumes 60 nW.

TABLE I: SIMULATED POWER LOSSES.

With a 150-mV Input $v_{IN}$		Power Loss
Controller		330 nW
Pulse Generator		3.01 $\mu$ W
CP <sub>DB</sub>		160 nW
Starter		1.86 $\mu$ W
Bias		60 nW
R <sub>L</sub>		7.40 $\mu$ W
D <sub>B</sub>	R <sub>DB</sub>	5.06 $\mu$ W
	Gate Capacitance	100 nW
M <sub>GND</sub>	R <sub>GND</sub>	1.13 $\mu$ W
	Gate Capacitance	650 nW
Total		19.73 $\mu$ W

### D. The State of the Art

Important parameters to consider when designing the charger of a microsensor are wake output power  $P_{O(W)}$ , steady-state output power  $P_{O(S)}$ , and size. Since the input  $v_{IN}$  is too low to operate the maximum power-point (MPP) tracker when waking with a tiny thermoelectric or solar source, systems do not engage the tracker until the wake period  $t_W$  ends [18] and

TABLE II: COMPARISON WITH THE STATE OF THE ART.

	[7]	[18]	[19]	[24]	[25]	[30]	[33]	This Work
Process Technology	0.35 $\mu\text{m}$	0.13 $\mu\text{m}$	65 nm	65 nm	–	65 nm	0.18 $\mu\text{m}$	0.18 $\mu\text{m}$
Off-Chip Components	22 $\mu\text{H}$ 22 $\mu\text{H}$ MEMS Switch	1:60 Trans- former	2 $\mu\text{H}$ 2 $\mu\text{H}$ 100 $\mu\text{H}$ 27 $\mu\text{H}$	6.8 $\mu\text{H}$	One Inductor	None	None	100 $\mu\text{H}$
Minimum Startup Voltage $V_{\text{ST(MIN)}}$	35 mV	40 mV	50 mV	80 mV	330 mV	85 mV	350 mV	220 mV
Minimum Input Voltage $V_{\text{IN(MIN)}}$	25 mV	40 mV	30 mV	50 mV			250 mV	35 mV
Source Voltage $v_s$	50 mV	40 mV	50 mV	80 mV	1 V	120 mV	550 mV	350 mV
Source Resistance $R_s$	5 $\Omega$	5 $\Omega$	6.2 $\Omega$		1 k $\Omega$		10 $\Omega$	180 $\Omega$
Maximum Input Power Possible $P_{\text{IN(MPP)}}^{\text{B}}$	125 $\mu\text{W} + P_{\text{VIB}}^{\text{A}}$	80 $\mu\text{W}$	100 $\mu\text{W}$		250 $\mu\text{W}$		7.60 mW	170 $\mu\text{W}$
Equivalent Battery Capacitance $C_B$	100 nF	10 $\mu\text{F}$	1 $\mu\text{F}$	10 nF		10 pF	1 F	1.8 $\mu\text{F}$
Battery's Target Charge Voltage $V_{\text{B(MIN)}}$	2 V	1.2 V	0.8 V	1.3 V	1.8 V	1.2 V	2 V	0.9 V
Wake Time $t_w$	11 ms + $t_{\text{VIB}}^{\text{A}}$	4.9 s	25 ms	4.8 ms	1.2 s	8 $\mu\text{s}$	360 min	45 ms
Equivalent Wake Output Power $P_{\text{O(W)}}^{\text{C}}$	18.2 $\mu\text{W}$	1.47 $\mu\text{W}$	12.8 $\mu\text{W}$				92.6 $\mu\text{W}$	16.2 $\mu\text{W}$
Wake Efficiency $\eta_w^{\text{D}}$		1.84%	12.8%				1.22%	9.53%
Peak Static Conversion Efficiency $\eta_{\text{C(PK)}}^{\text{E}}$	58%	40%	73%	72%	80%		81%	86%
MPP Tracker	No	Yes	No	No	Yes	No	Yes	No

<sup>A</sup>Requires vibration power  $P_{\text{VIB}}$  and time  $t_{\text{VIB}}$  for vibrations to begin. <sup>B</sup> $P_{\text{IN(MPP)}} = (0.5v_s)^2/R_s$ . <sup>C</sup> $P_{\text{O(W)}} = 0.5C_B V_{\text{B(MIN)}}^2/t_w$ . <sup>D</sup> $\eta_w = P_{\text{O(W)}}/P_{\text{IN(MPP)}}$ . <sup>E</sup> $\eta_{\text{C}} = P_{\text{O(S)}}/P_{\text{IN}}$ .

[25]. And even then, the tracker requires time to settle [26].  $t_w$  is therefore the time the system requires to operate the tracker.

So  $P_{\text{O(W)}}$  depends on source voltage and resistance  $v_s$  and  $R_s$  and losses. Wake efficiency  $\eta_w$  is a normalizing parameter that comprehends  $v_s$ ,  $R_s$ , and losses. Although [19] in Table II is 3.27% more efficient in this respect, [19] uses three more microhenry inductors. Even with a 1:60 off-chip transformer, [18] is 7.69% less efficient. [33] requires less than [19] and [18], but  $\eta_w$  is 8.31% lower and minimum start and steady-state voltages  $V_{\text{ST(MIN)}}$  and  $V_{\text{IN(MIN)}}$  are  $1.6\times$  and  $7.1\times$  higher. [24] and [25] have similar requirements, but without reporting  $R_s$  in [24] and  $C_B$  in [25], they are not comparable. [7] uses one more microhenry inductor and a MEMS transistor that requires vibration power  $P_{\text{VIB}}$  to operate and additional wake time  $t_{\text{VIB}}$  for vibrations to begin.  $P_{\text{VIB}}$  is additional input power that the system unfortunately does not recover.

$P_{\text{O(S)}}$  depends on  $v_s$ ,  $R_s$ , losses, and the MPP tracker. Although static efficiency  $\eta_s$  can account for all these, decoupling the tracker from the source and losses isolates the efficacy of the charger. This is why Table II reports static *conversion* efficiency  $\eta_c$ : the fraction of *actual* drawn power  $P_{\text{IN}}$  (not  $P_{\text{IN(MPP)}}$ ) that the charger outputs with  $P_{\text{O(S)}}$ . In this respect, while peak efficiency  $\eta_{\text{C(PK)}}$  in [18] and [7] is low at 40%–58%, [24] and [19] is moderate at 72%–73%, and [25] and [33] is high at 80%–81%,  $\eta_{\text{C(PK)}}$  here is higher at 86%.

Like [7], [19], [24], and [30], the system here excludes the MPP tracker that, like [18], [25], and [33], they should all ultimately include. Although [32] includes a wake function, the system works when the battery voltage is greater than 2.9 V, which is compatible with lithium ions, but not the capacitor batteries that researchers envision microsensors might use. [31] charges a battery, but from an input that an RF source sets, not a thermoelectric or photovoltaic source.

The advantage of the transformer in [18], MEMS switch in [7], multiple inductors in [19], and ring oscillators in [23]–[24]

is that they start from a lower input voltage  $V_{\text{ST(MIN)}}$ . Replacing the starter in Fig. 3 with the ring oscillators that [23]–[24] use can reduce the startup voltage of this system to the 80 mV they report. But still, to deliver 9.53% of the highest possible input power when waking, the system must retain the controller, switching network, oscillating pulse generator, small temporary supply, and operating principles proposed and presented here. And while [16] only theorized what was possible, the prototype designed and presented here proved it with circuits and measurements.

## V. CONCLUSIONS

With 100 nF and 100  $\mu\text{H}$ , the 0.18- $\mu\text{m}$  CMOS charger prototyped delivers 9.53% of the maximum input power possible to wake and charge a fully depleted 1.8- $\mu\text{F}$  battery to 0.9 V in 45 ms. This is 8.31% more efficient than the smallest reported and 7.69% more efficient than the next best, but without a 1:60 off-chip transformer. Although 3.27% less efficient than the most efficient, the system uses three fewer off-chip inductors. After waking, the charger draws 98.8%–99.7% of the power supplied by a 200–350-mV source to deliver 76%–86% of the 40–150  $\mu\text{W}$  drawn, which is 5% to 46% more efficient than the state of the art. Like others, the system excludes a maximum power-point tracker that, although ineffectual during wakeup, is essential in steady state. Still, wake efficiency is critical because tiny batteries exhaust easily and frequently, and clouds, debris, and other factors interrupt the harvesting action of small photovoltaic and thermoelectric generators. With this charger, wireless microsensors can wake more quickly and function more often.

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**Andres A. Blanco** (S'11, GM'12) received B.S., M.S., and Ph.D. degrees in Electrical Engineering from the Georgia Institute of Technology in 2009, 2012, and 2017. He is currently an Analog Design Engineer with Kilby Labs at Texas Instruments in Dallas, Texas. His research interests include energy-harvesting, DC-DC converters, and low-power analog design.



**Gabriel A. Rincón-Mora** (SM'90, GM'93, M'97, SM'01, F'11) worked for Texas Instruments in 1994-2003, was an Adjunct Professor at Georgia Tech in 1999-2001, and has been a Professor at Georgia Tech since 2001 and a Visiting Professor at National Cheng Kung University in Taiwan since 2011. He is a Fellow of the Institution of Engineering and Technology.